# Inagges: Constrained Denoising

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# **Classic Optical Illusions: A Fascination for Centuries**

- and a fruit basket when upside-down.
- Duck or Rabbit? 1892 issue of *Fliegende Blätter*

# **Computational Optical Illusions:** In 2023 & 2024 - Photo Realism

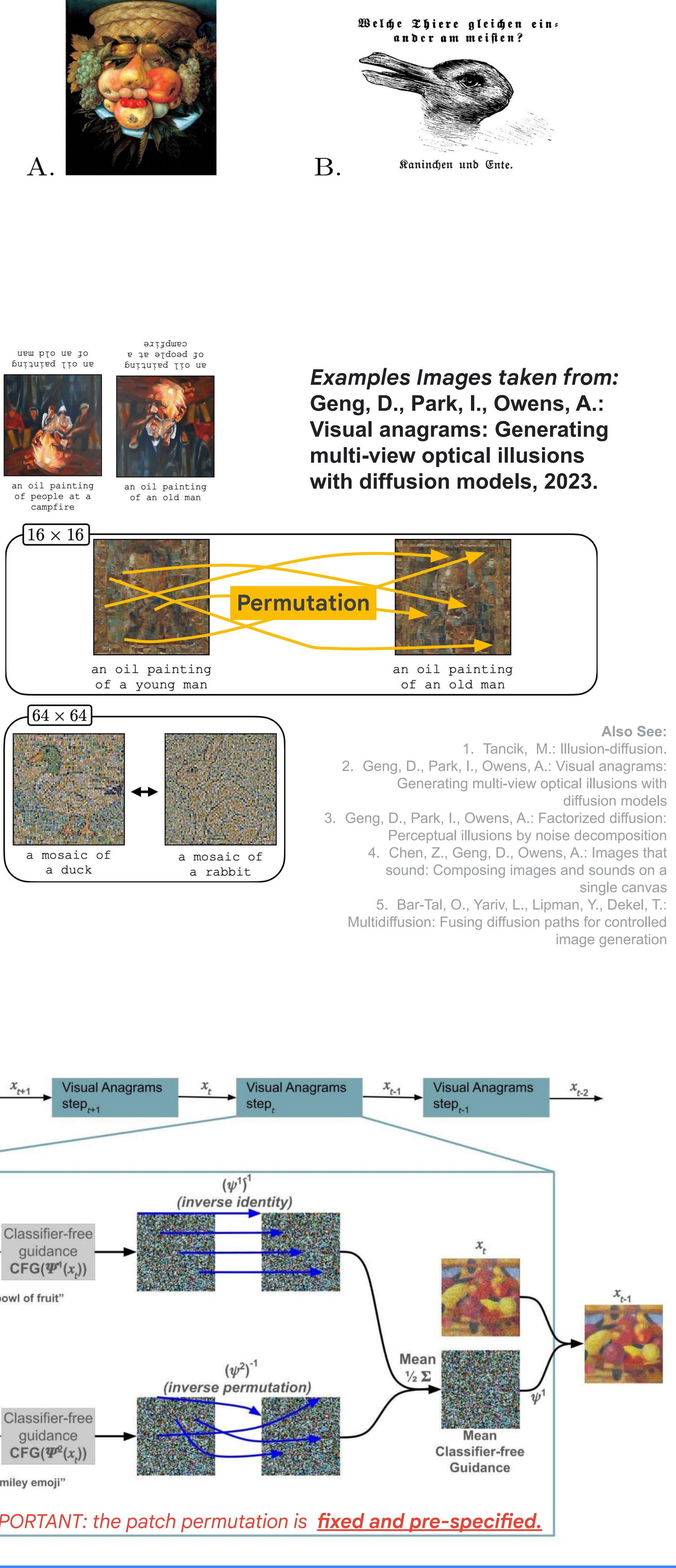
- objectives (e.g. multiple prompts).
- represented the multiple prompts.
- transformation for simultaneous denoising processes.

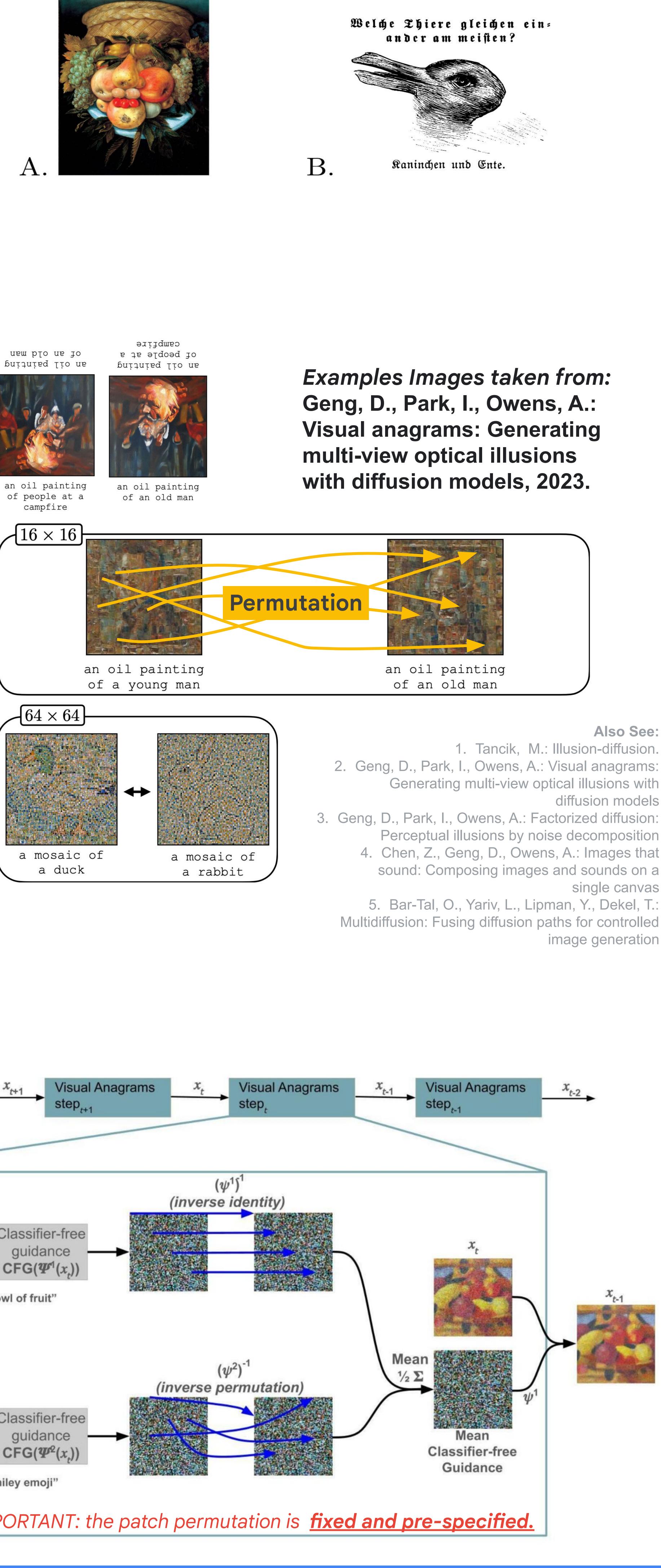
### **Synthesis of Images via Patch Permutations** "" A Bowl of Fruit" → "A Smiley Emoji"

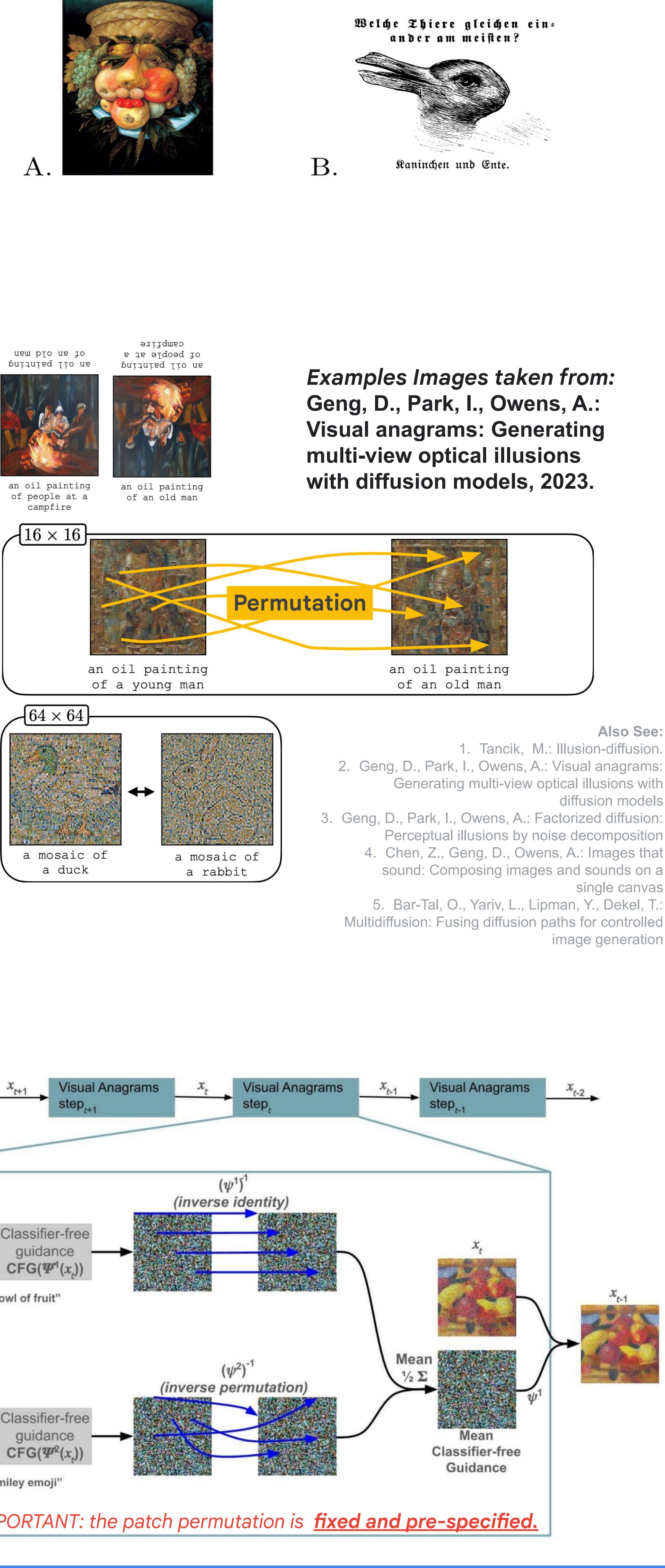
### Modify Standard Diffusion Process:

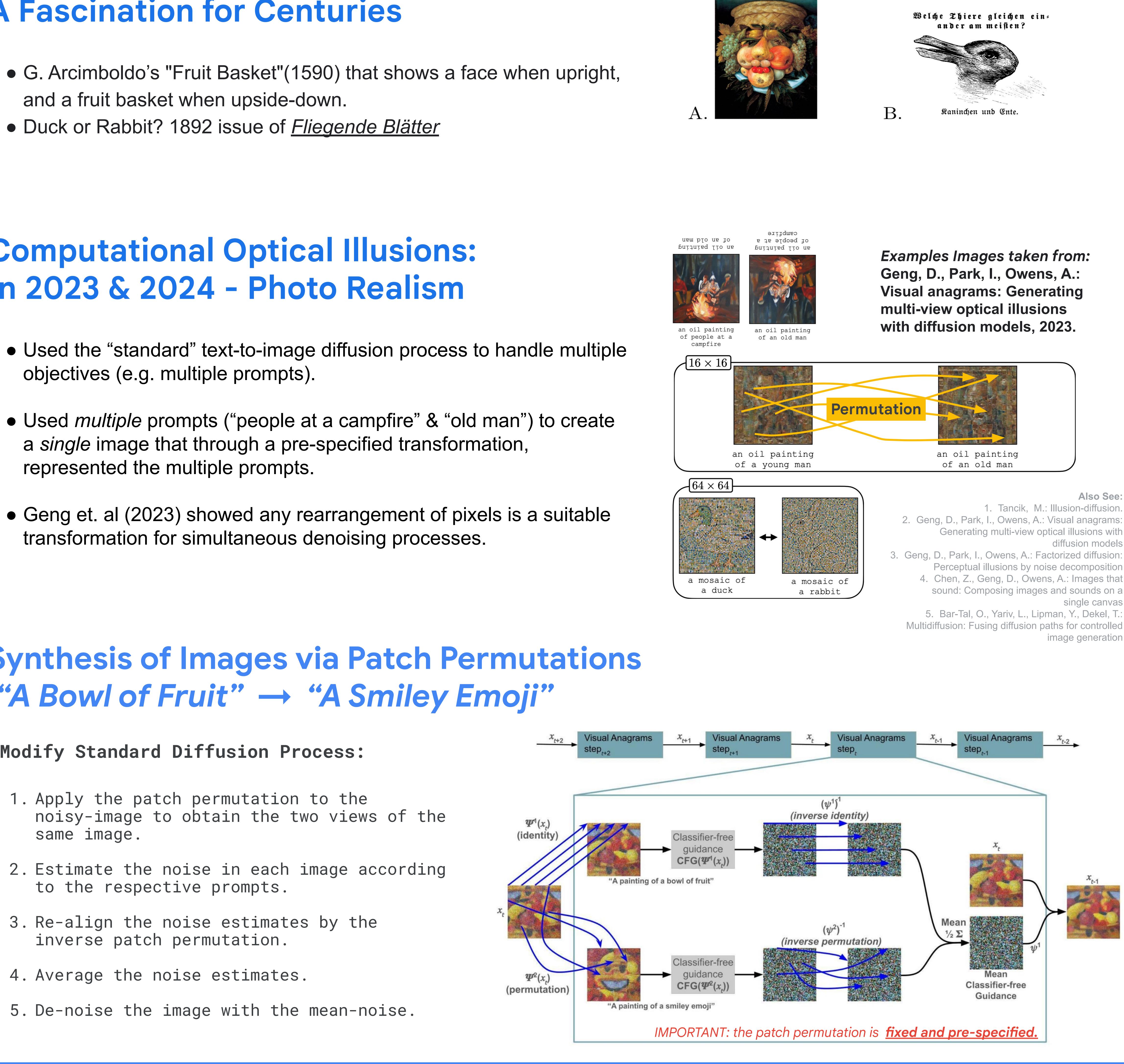
- 1. Apply the patch permutation to the noisy-image to obtain the two views of the same image.
- 2. Estimate the noise in each image according to the respective prompts.
- 3. Re-align the noise estimates by the inverse patch permutation.
- 4. Average the noise estimates.
- 5. De-noise the image with the mean-noise.

a single image that through a pre-specified transformation,





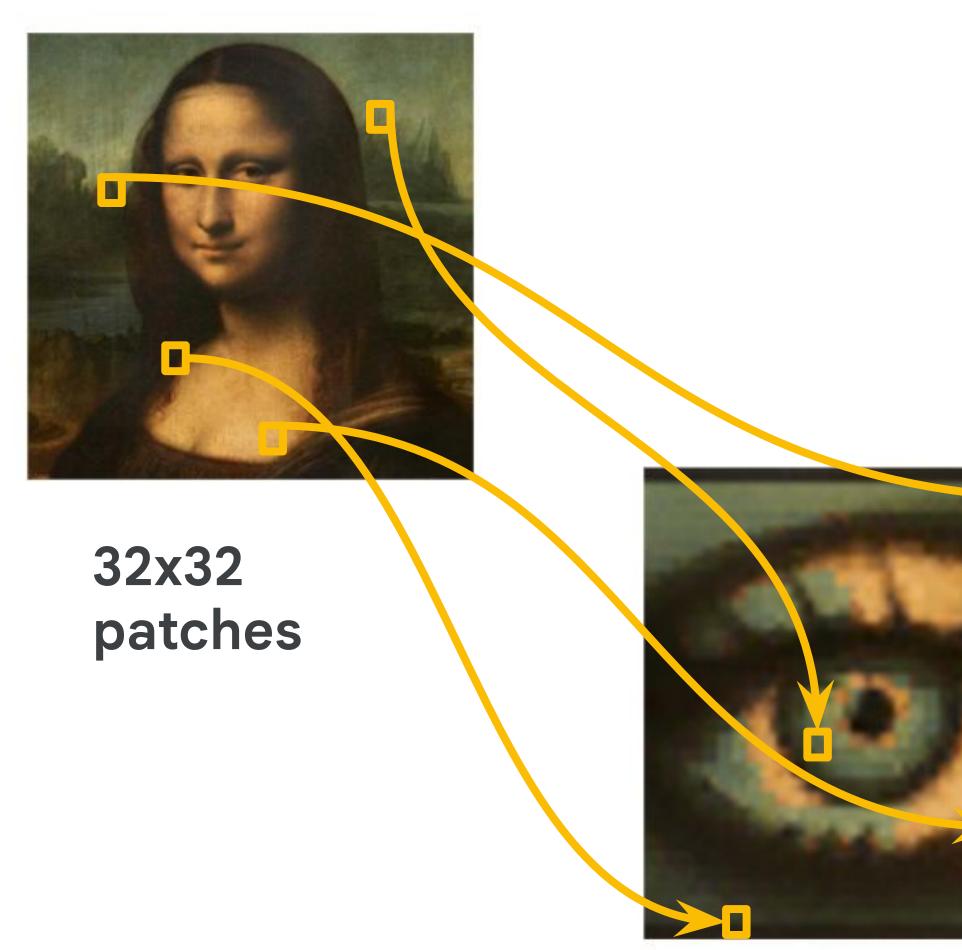




# THE PROBLEM: HOW DO WE TRANSFORM A SPECIFIC PIECE OF ART?

### Task:

Create a close-up of an eye with image patches from the Mona Lisa?

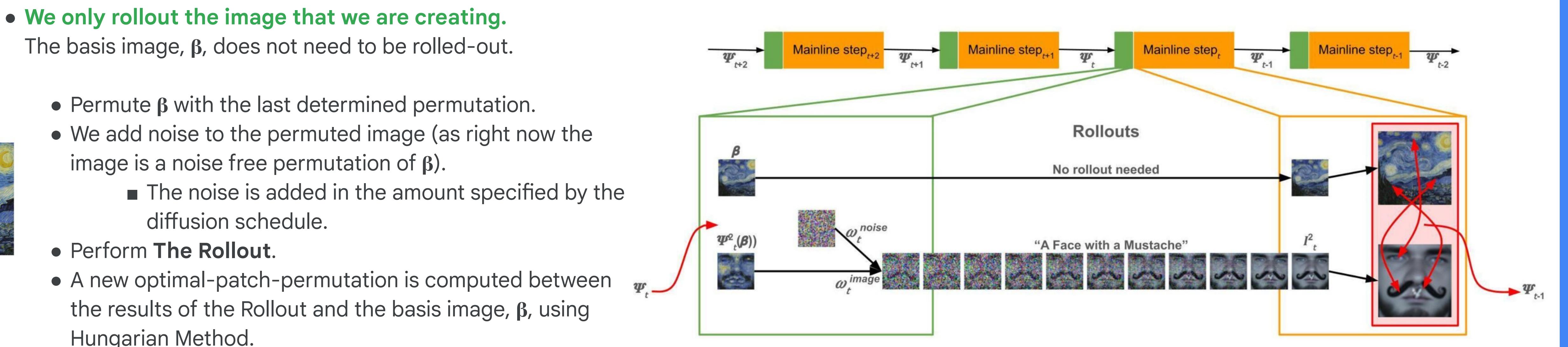


# KEY INSIGHT: WE APPROXIMATE WHAT THE FINAL IMAGE WILL BE VIA THE ROLLOUT

### • At every time-step t:

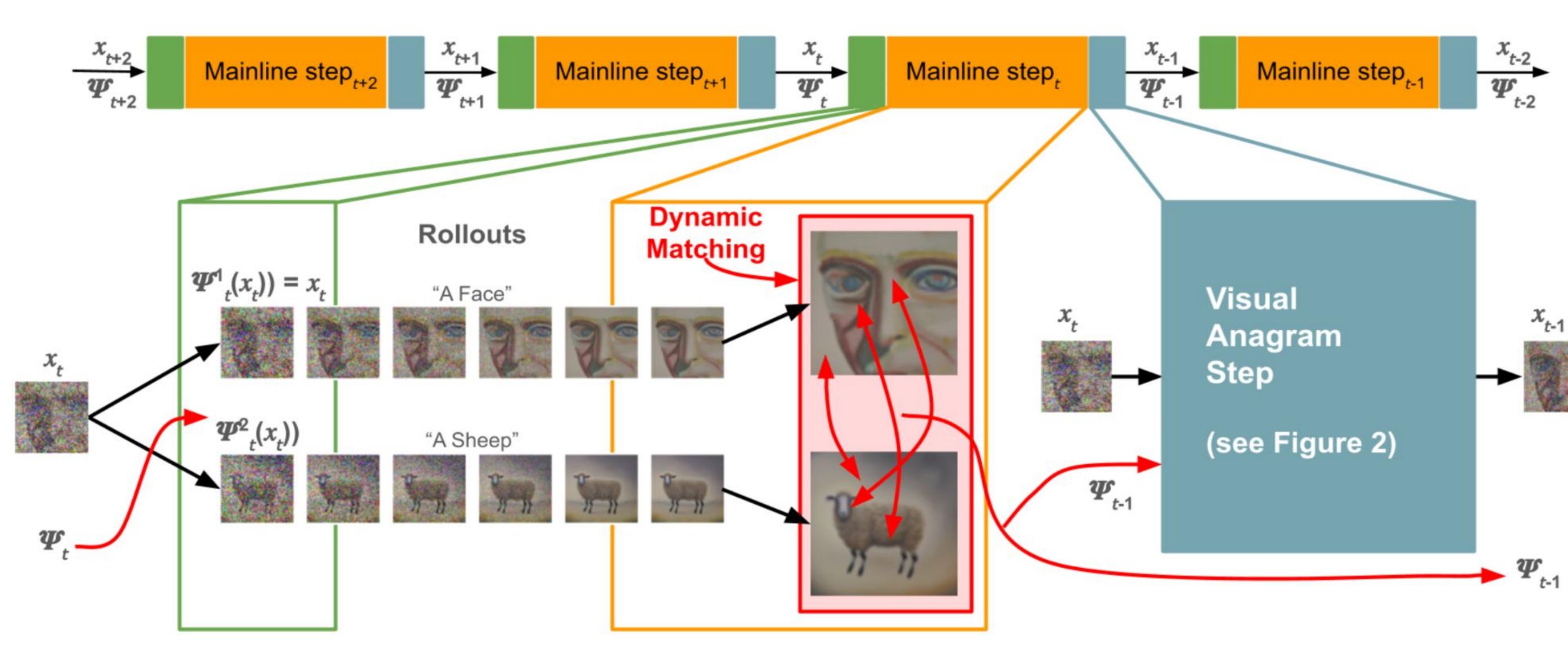
- Permute the tiles from the permutation found in the last step.
- Simulate a diffusion process forward for both prompts. (a few steps or to the end).
- Calculate the lowest-cost tile permutations (Hungarian Method) to match the tiles in the rollouts.
- Use this new permutation as input to the procedure shown earlier.
- We are no longer trying to match noise, but an approximation (guess?) of what the end image will look like.

# SOLUTION: WITH DYNAMIC PERMUTATIONS, SPECIFY THE BASIS ARTWORK, $\beta$



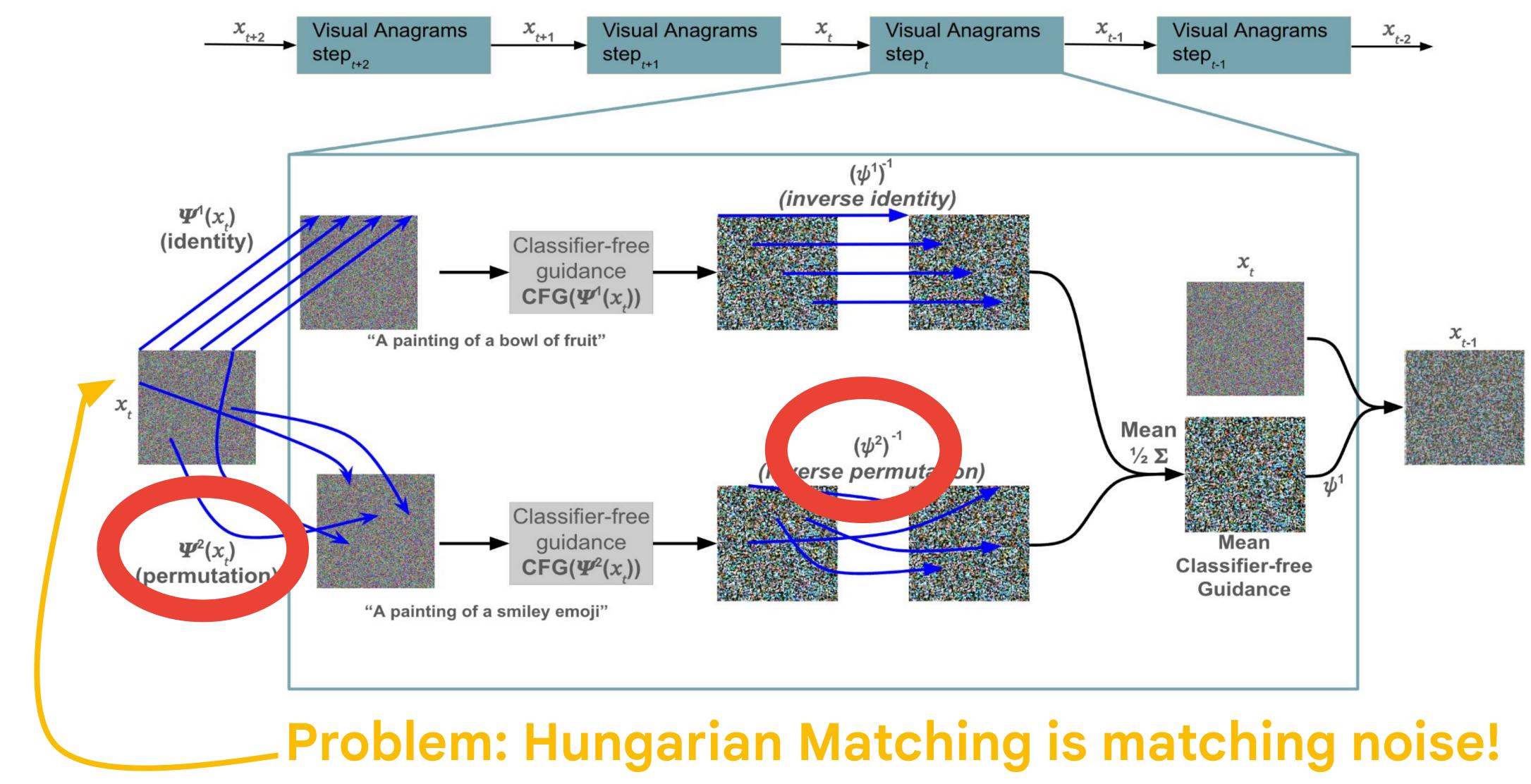
- Hungarian Method.

- If we knew the final eye image we wanted, the problem is simple: finding the best match.
  - Compute NxN patch distances & use the Hungarian Method / Kuhn-Munkres for optimal matching.
- Difficulties:
  - The end-image is not known.
- This is a very tightly constrained problem.
  - We no longer change pixel RGB values.
  - We only move tiles around.



Any prespecified tile rearrangement from a known image would simply yield a fixed, nonsensical image.

**Therefore:** Tile arrangement is learned.



### **Fixed permutations**

- As the number of tiles increases, the results become worse.
- The constraints make it difficult to find suitable images.



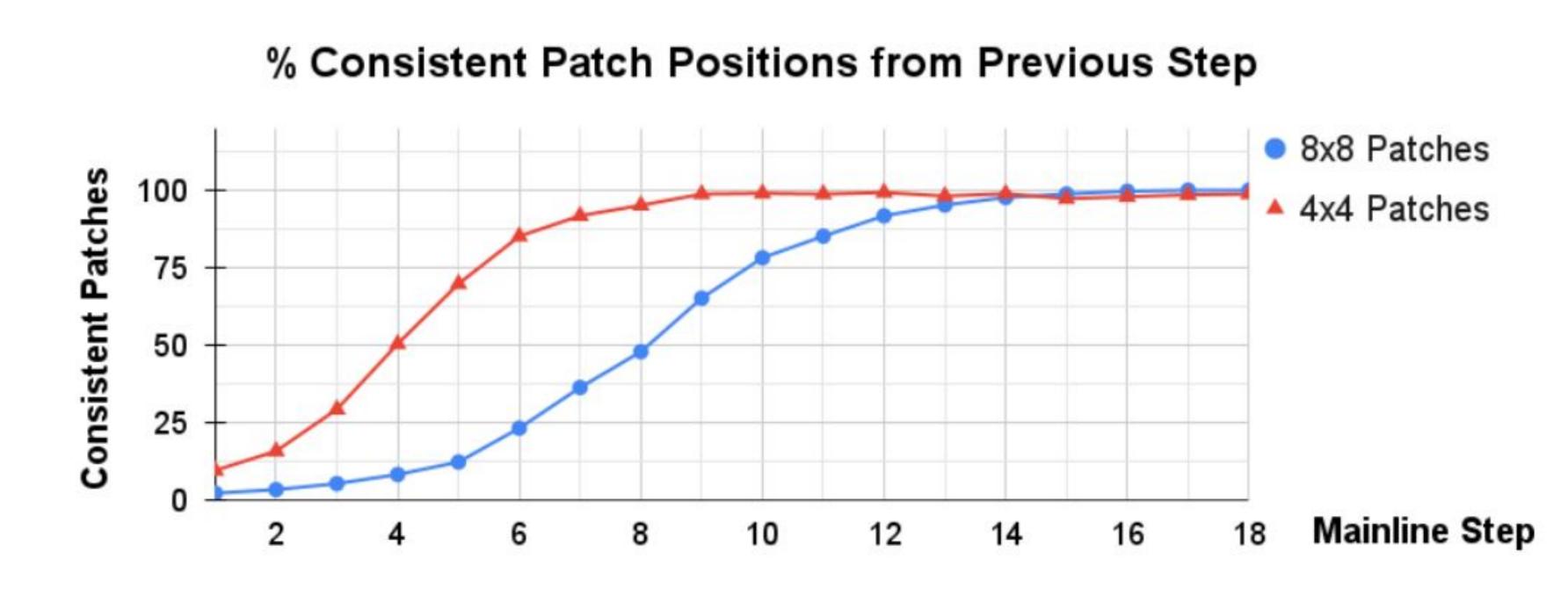
### **Dynamic permutations:**

• The more tiles there are – the more degrees of freedom, and the better the results.

| -1 |                                    | Marilyn<br>Monroe | Einstein | Shakespeare | George<br>Washington | Abraham<br>Lincoln |
|----|------------------------------------|-------------------|----------|-------------|----------------------|--------------------|
|    | $16 \times 16$<br>Vis.<br>Anagrams |                   |          |             |                      |                    |
|    | $32 \times 32$<br>Vis.<br>Anagrams |                   |          |             |                      |                    |
|    | $16 \times 16$ tiles               |                   |          |             |                      |                    |
|    | $32 \times 32$ tiles               |                   |          |             |                      |                    |
|    | $\times 64$ tiles                  |                   |          |             |                      |                    |

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# PERMUTATION CHANGES OVER TIME



As the diffusion process continues, changes between successive permutations is reduced. As the images become more consistent (as  $t \to 0$ ) each  $\psi_{t-1}$  looks more like  $\psi_t$ . By iteration 15, the 8  $\times$  8 tiles have ceased movement. Movement ends by iteration 9 for the  $4 \times 4$  tiles. Average of 10 runs shown.

## **ROLLOUTS VISUALIZED**





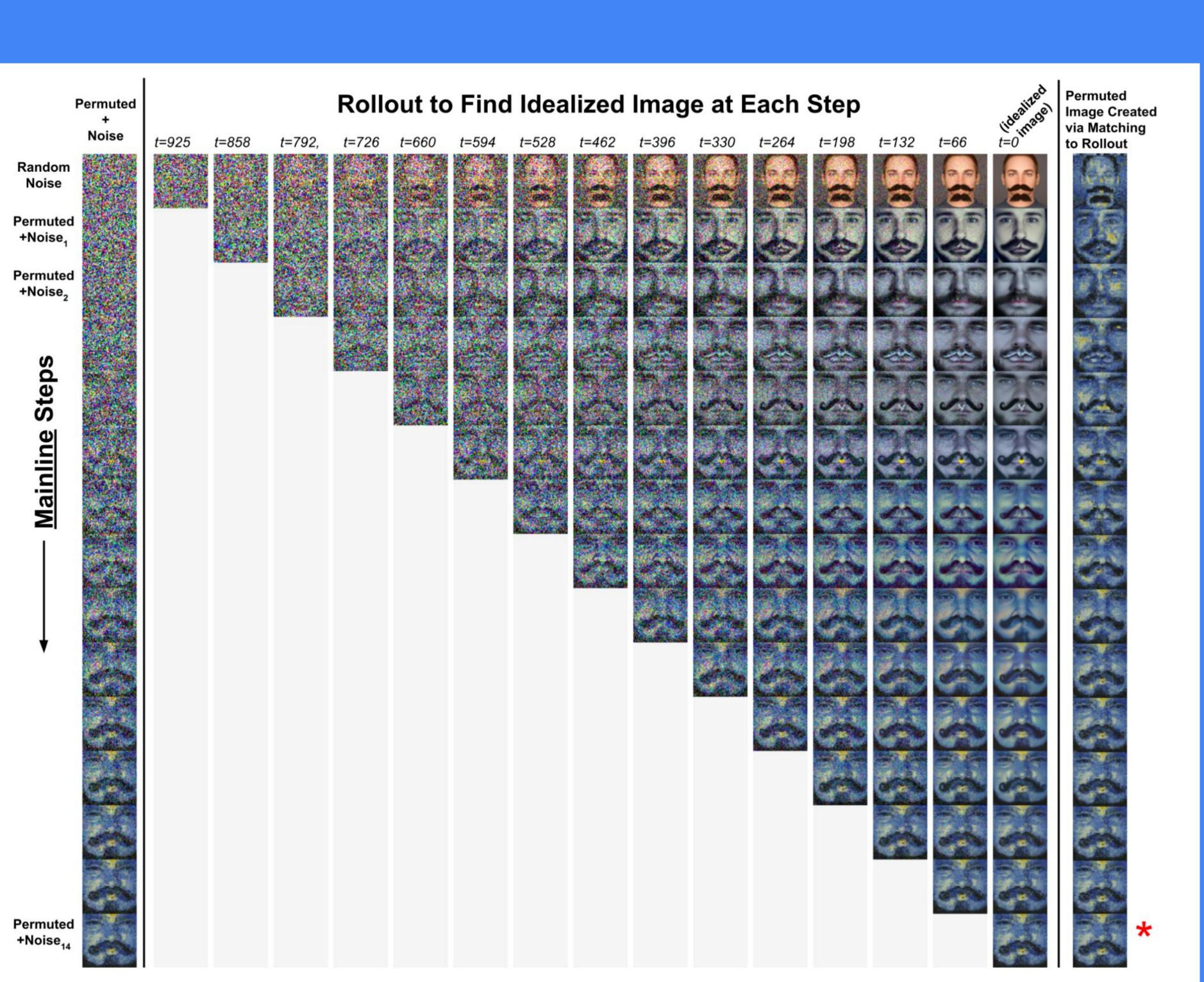
### man with a mustache $\longrightarrow$

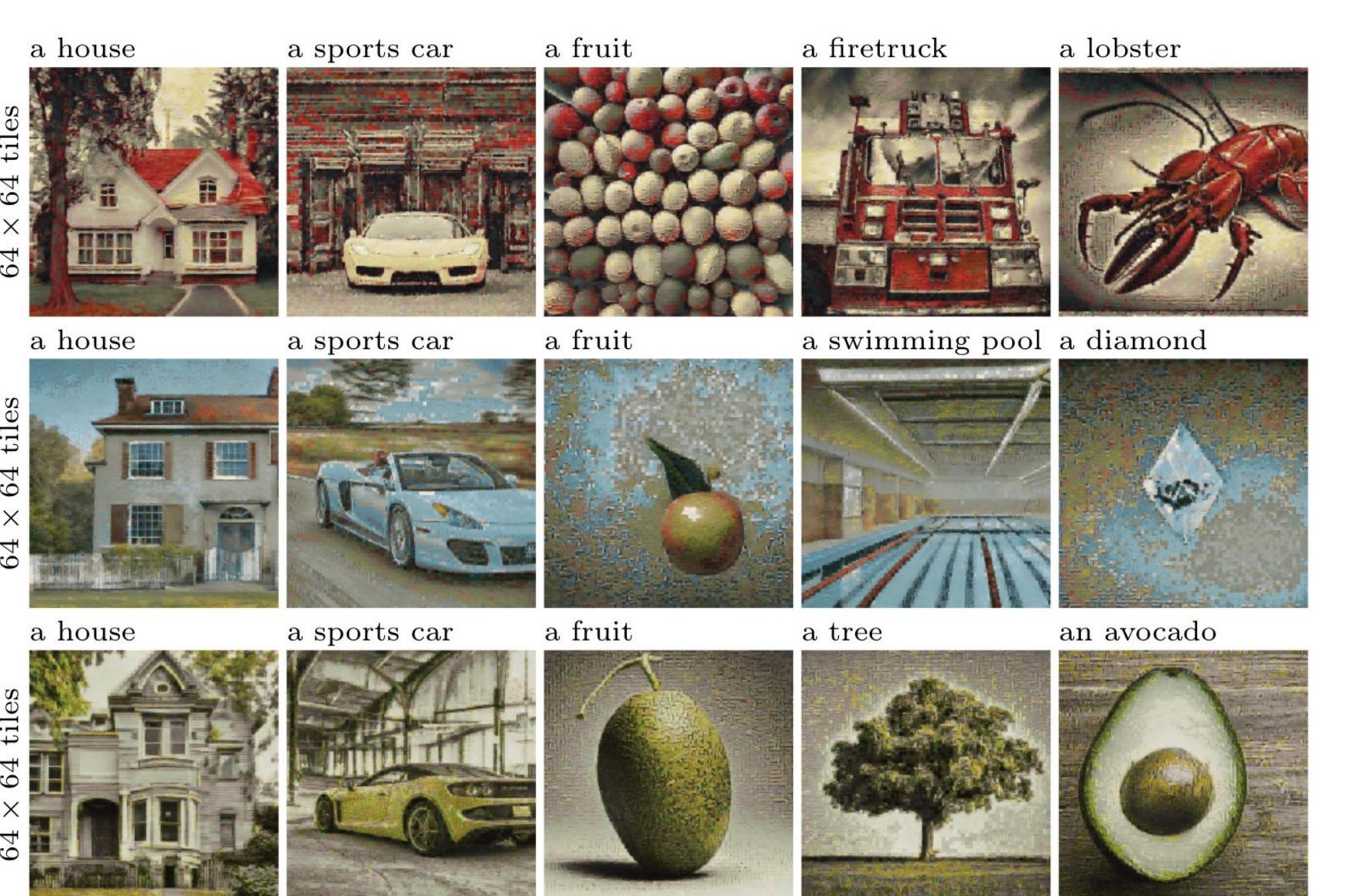
Permuted +Noise<sub>14</sub>

### PROPAGATION IN RAINT

- This provides an intuition of how constraints are propagated through the parallel diffusion processes.
- In these three examples with 5 prompts, 3 prompts are kept constant, 2 are changed.
- The last 2 prompts have strong colors associated with them.
- Notice how the typical colors of the last 2 prompts are visible in all 5 images – an effect of constraint propagation.

Constraint propagation across all images when no-basis images are used.

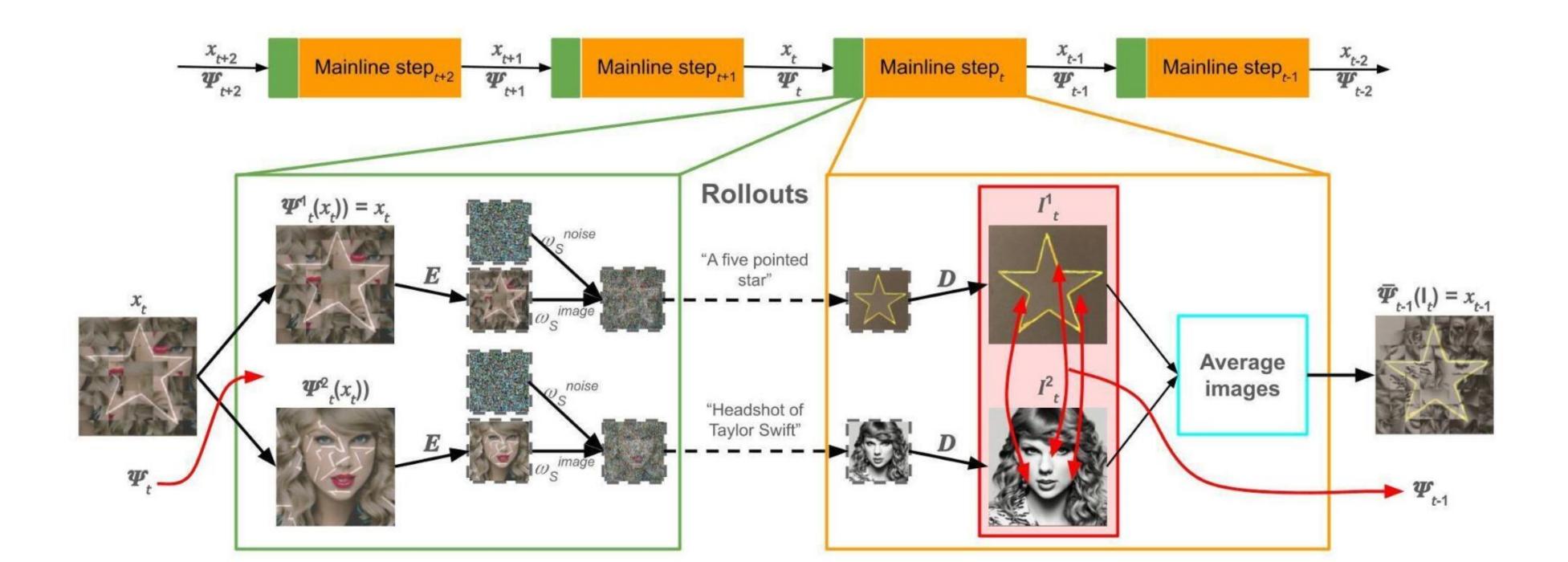




# MOVING TO LATENT DIFFUSION

### Changes for Latent Diffusion

- 1. Transformation are matched in pixel space.
- 2. Diffusion occurs after encoding in Latent space.
- 3. We do a full rollout from step 50 to step 0.
- 4. The noise introduced is set to 98%, with 2% of the previous rollout image.



Changes for latent diffusion. Latent representations, with a dashed outline, are used for diffusion and pixel images are used for dynamic matching and calculating  $\Psi$ . Latents are decoded with D for dynamic matching then re-encoded with E; D&E are pretrained components of the latent diffusion system. Rollout mixing uses fixed  $w_S^{image}$  and  $w_S^{noise}$ . Rollouts span a full diffusion run from S = 50 to 0.

### RESULTS

